

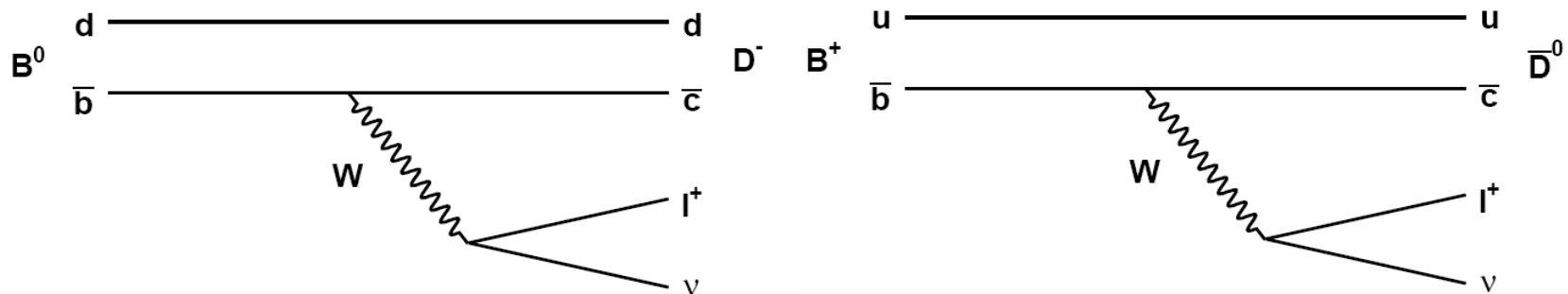
Global Fit for BF and FF in $B \rightarrow D \ell \nu$ decay

Fitting status

Motivation

- Determine $B \rightarrow D\ell\nu$ and $B \rightarrow D^*\ell\nu$ Branching Fractions (BF)
 - Hoping to solve problems like
 - $B^0 \rightarrow D^{*-} \ell^+ \nu$ BF disagreement
 - 0.0459 ± 0.0063 (BELLE 2002)
 - 0.0490 ± 0.0042 (Babar 2005)
 - 0.0590 ± 0.0072 (DELPHI 2004)
 - 0.0609 ± 0.0059 (CLEO2 2003)
 - Inclusive and exclusive discrepancy
 - Inclusive $B^0 \rightarrow X \ell^+ \nu$: 0.105 ± 0.008 (PDG)
 - Exclusive $B^0 \rightarrow D^- \ell^+ \nu$: 0.0213 ± 0.0018
 $\rightarrow D^{*-} \ell^+ \nu$: 0.0520 ± 0.0024
 $\rightarrow$ Others are small < 0.01
- Determine $B \rightarrow D\ell\nu$ Form Factor (FF) slope
 - Current uncertainty $\sim 30\%$.

What is FF (Form Factor)?



- Quark level process is simple
 - Can be calculated with good precisions
- We need FF to include QCD effect in the B and D hadrons
 - QCD processes inside B or D hadron is non-perturbative
 - We push the non-perturbative effect into FF
 - Decay rate = (quark level process)*FF
- There are effective theories to deal with non-perturbative QCD
 - Quark models such as ISGW2 Model
 - HQET (Heavy Quark Effective Theory)
 - ChPT (Chiral Perturbation Theory), and more...

B- $\rightarrow$ Dlnu decay FF and re-weighting

- In B- $\rightarrow$ Dlnu decays, there is one FF:
 - $h+(w) = R*f+(q^2)$
 - $W = (M_B^2 + M_D^2 - q^2)/(2M_B*M_D)$
 - $R = \sqrt{M_B*M_D}/(M_B + M_D)$
- ISGW2 Model and $f+(q^2)$ is used in MC
- HQET
 - $h+(w) = 1 - \rho^2 (w - 1)$
 - $\rho^2 = \text{FF slope}$
- Need to re-weight MC to change FF from ISGW2 to HQET
 - No need to generate new MC
 - We can just re-weight event by event (candidate by candidate) when making MC histograms.

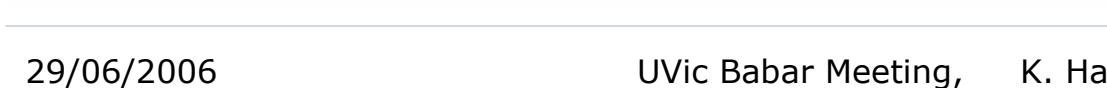
Event Selection

- BToDInu skim
 - Select events including $B \rightarrow D/D^* \text{Inu}$ candidates.
- Bhabha veto
 - Reject radiative Bhabha events.
- Kaon selection
 - KMicroNotPion selector
- Vertexing (by TreeFitter)
 - D vertexing probab > 0.01
 - B vertexing probab > 0.01
- Trust cut
 - $|\cos\theta_{\text{DInonDl}}| < 0.88$



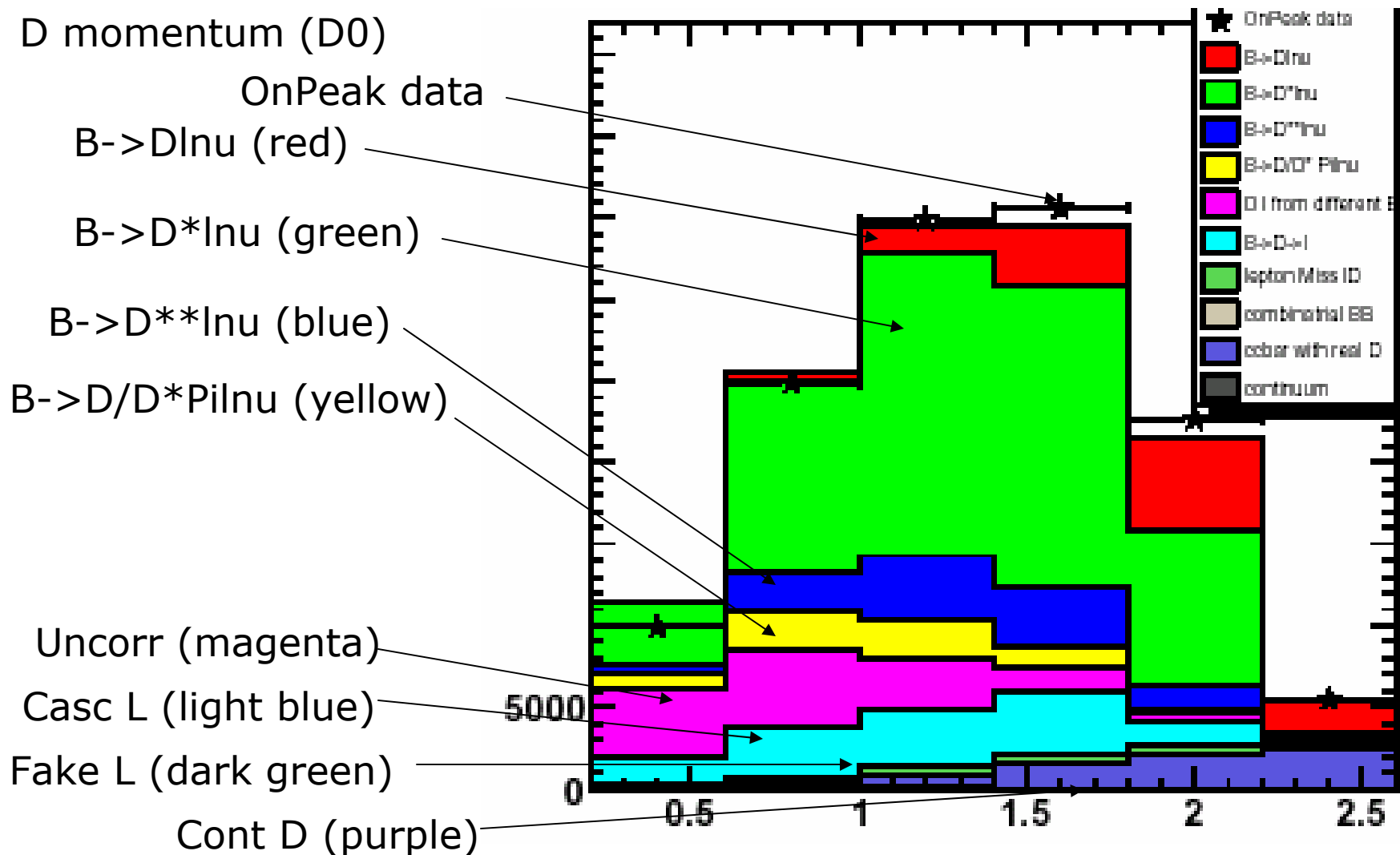
- Peaking backgrounds from B and D

Continuum background from $c\bar{c}$, $u\bar{d}s$ and τ



mano 6

After sideband subtraction



What's in the backgrounds?

- Uncorrelated background from $B\bar{B}$
 - D and l came from different B
- Cascade lepton background from $B\bar{B}$
 - Lepton did not come from B but came from D
- Lepton mis identification background from $B\bar{B}$
 - Lepton was really a kaon, pi or proton
- $C\bar{c}$ background with real D

Method of analysis

- Reconstruct only D^0 and D^+ candidates. All higher D state feeds down to D .
 - $B \rightarrow D l \nu$
 - $B \rightarrow D^* l \nu$, $D^* \rightarrow D X$
 - $B \rightarrow D^{**} l \nu$, $D^{**} \rightarrow D X$
 - $B \rightarrow D \pi l \nu$ (non-resonant)
- Use clean modes $D^0 \rightarrow K \pi$ and $D^+ \rightarrow K \pi \pi$.
- Bin events in 3-D : D momentum, Lepton momentum and $\cos\theta_{B-Dl}$.
- Fit to $B \rightarrow D l \nu$ events.
 - Use MC histograms like PDF (Probability Density Functions)
 - Fit those PDFs to measured data.

Binning

- Lepton momentum bin (4bins):
 - 0.8, 1.2, 1.6, 2.0, 2.4 GeV
- D momentum bin (6 bins):
 - 0.2, 0.6, 1.0, 1.4, 1.8, 2.2, 2.6 GeV
- cosBY bin (5 bins):
 - -10, -2.5, -1.1, 0.0, 1.1, 5
- Total $120 * 2$ (D+ and D0) = 240 bins
 - Use “#evt > 5” bins -> ~190 bins are used
- Run 3 data (30.6 fb⁻¹)
and MC (~100 fb⁻¹ of BBbar and ~50 fb⁻¹ of others)
was used.

What is cosBY ?

- Y is DI combination in this case
- $\cos BY$ = cosine of the angle between the direction of B and the direction of "D-l" in the Y(4S) rest frame

- $-1 < \cos BY < 1$ is expected, but....

This is not the case because of detector effects, miss-reconstructions, additional pion from higher D mass states or non-resonant $D\pi l\nu$ decays, etc.

-> Can separate $D^{**}l\nu$, background etc.

Binned chi-square fitting

- $\text{Chi-sq} = (N^{\{\text{data}\}} - \text{sum of } C * N^{\{\text{MC}\}})^2 / \sigma^2$
- Predicted number of events ($N^{\{\text{MC}\}}$)
 - Tracking efficiency and PID corrected.
 - Luminosity normalised to data.
 - Form factor (FF) re-weighted.
- Coefficients (C) include
 - Branching fractions (BF)
 - Ratios like
 - $f_{+0} = f_{+-}/f_{00}$ (production rates ratio),
 - $t_{0+} = t_{00}/t_{+-}$ (life time ratio),
 - efficiency difference to reconstruct $D^+/D^0 = c_{D^+0}$
- Isospin symmetry is assumed for $B \rightarrow D \lnu X$ decays (not for $D^{*-} \rightarrow D$).
- Use TMINUIT to minimize chi-square.

Validation of fitting

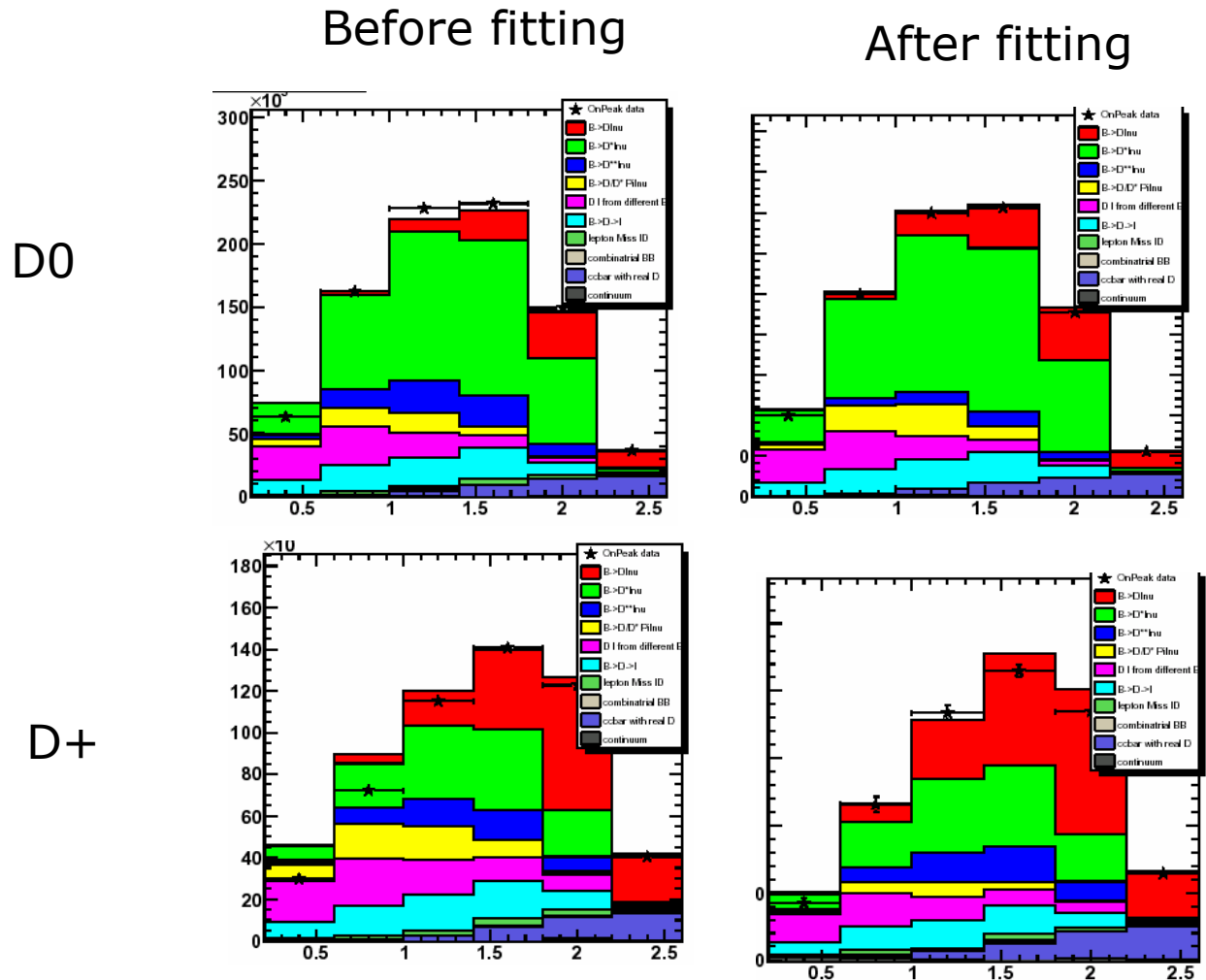
- Split Run3 MC into two halves.
- Use first half as a fake data.
- Fit this fake data by the second half of MC
- Results
 - Number of bins = 190, number of parameters = 18,
number of dof = $190 - 18 = 172$
Chi-square = 170.0
 - Fitted branching fractions are consistent with the values used in the MC
 - $B \rightarrow D l \nu$: 0.02113 ± 0.00062 (0.0210 in SP5)
 - $B \rightarrow D^* l \nu$: 0.05564 ± 0.00086 (0.0560 in SP5)

First results of fitting to Data

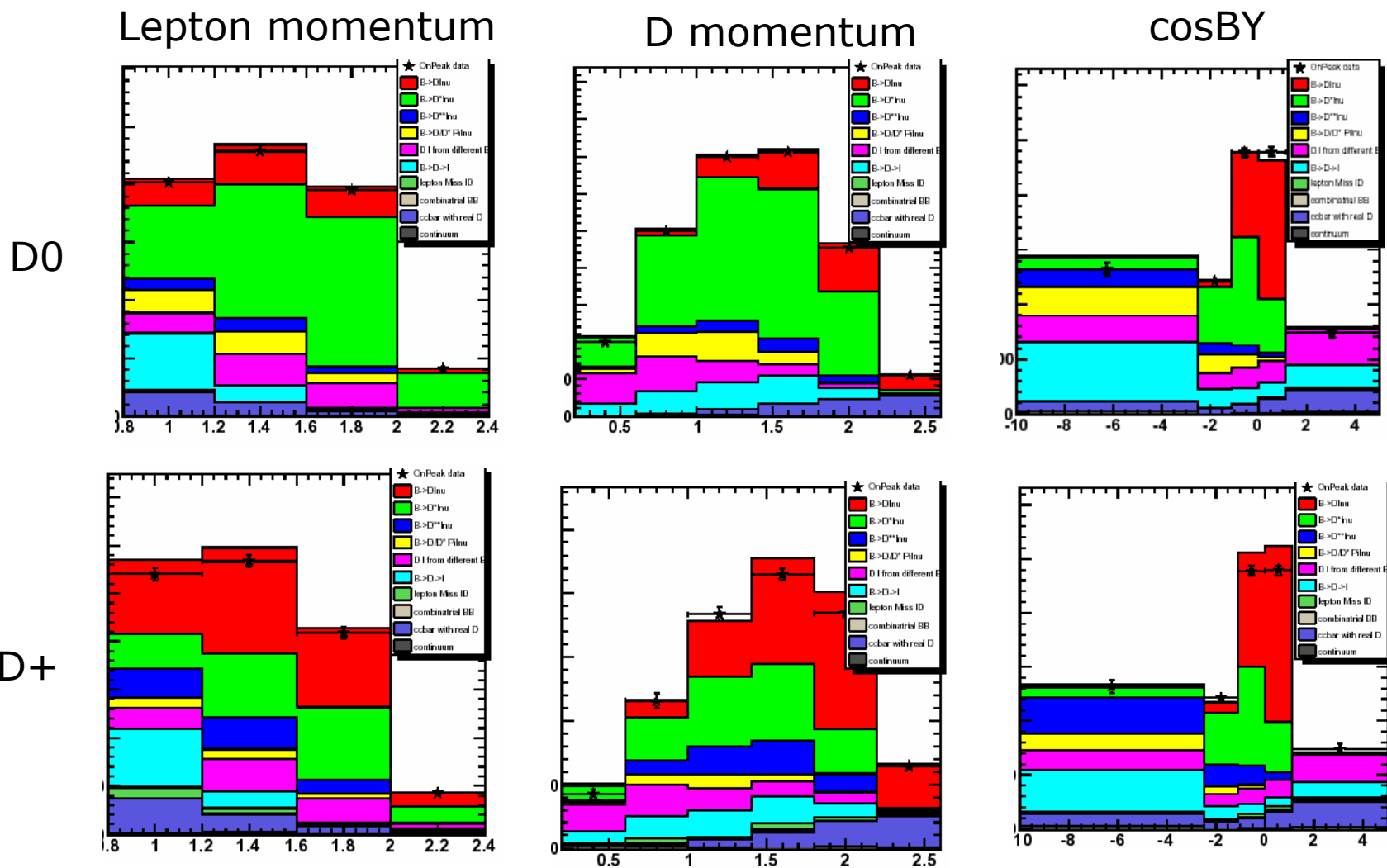
- Branching fractions
 - $\text{BF}(B \rightarrow D \ell \nu) = 0.02542 \pm 0.00079$ (3.1 %)
 - $\text{BF}(B \rightarrow D^* \ell \nu) = 0.05625 \pm 0.00114$ (2.0 %)
 - Float all other branching fractions
- $D \ell \nu$ FF slope
 - $\rho^2 = 1.473 \pm 0.012$ (0.8 %)
- Float background components separately for D^0 and D^+
- Float f_+^0 and c_{D^+} . Gaussian constraints on f_+^0 and c_{D^+}
- No significant correlation between variables.

Fitted Plots (0)

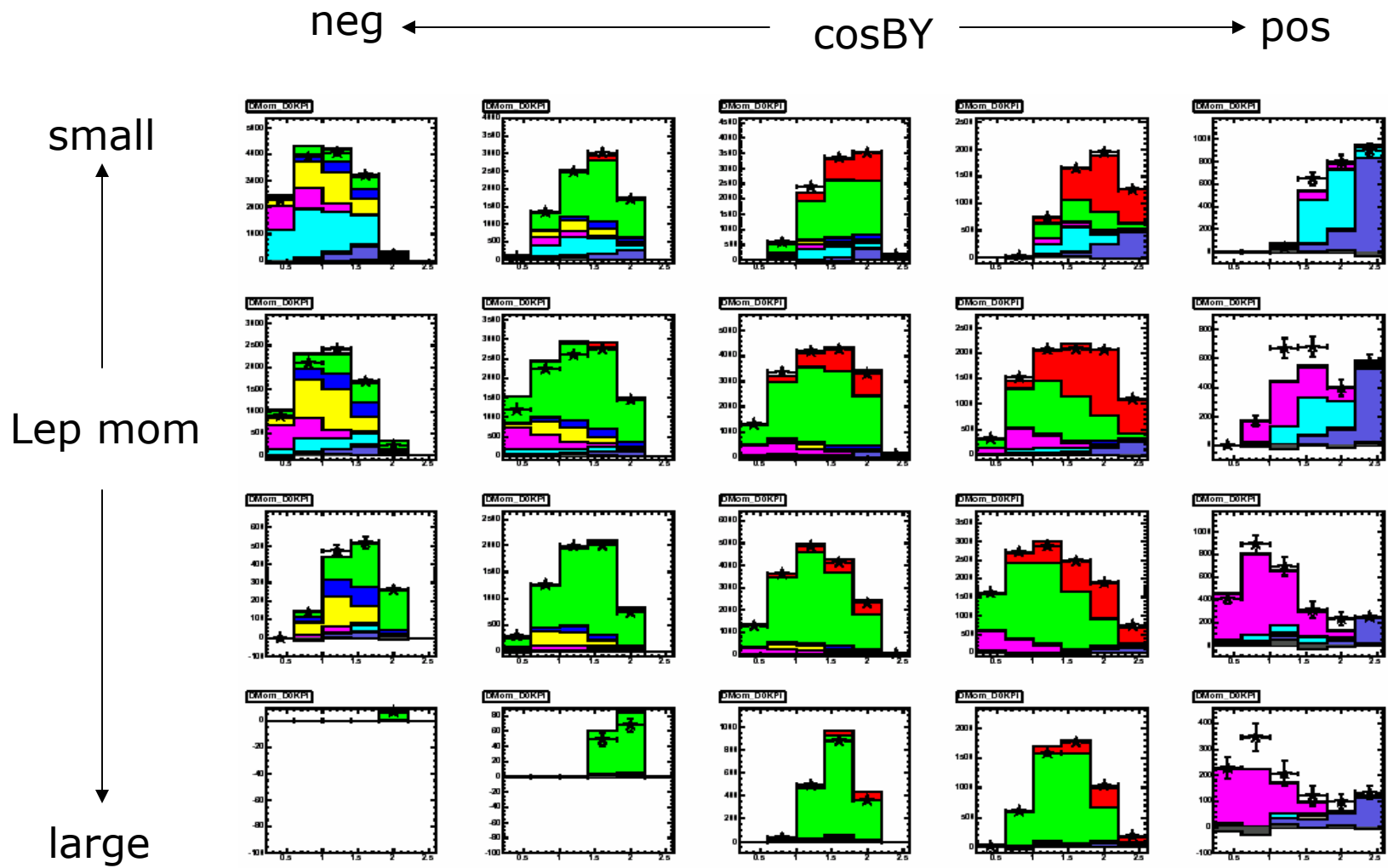
D momentum



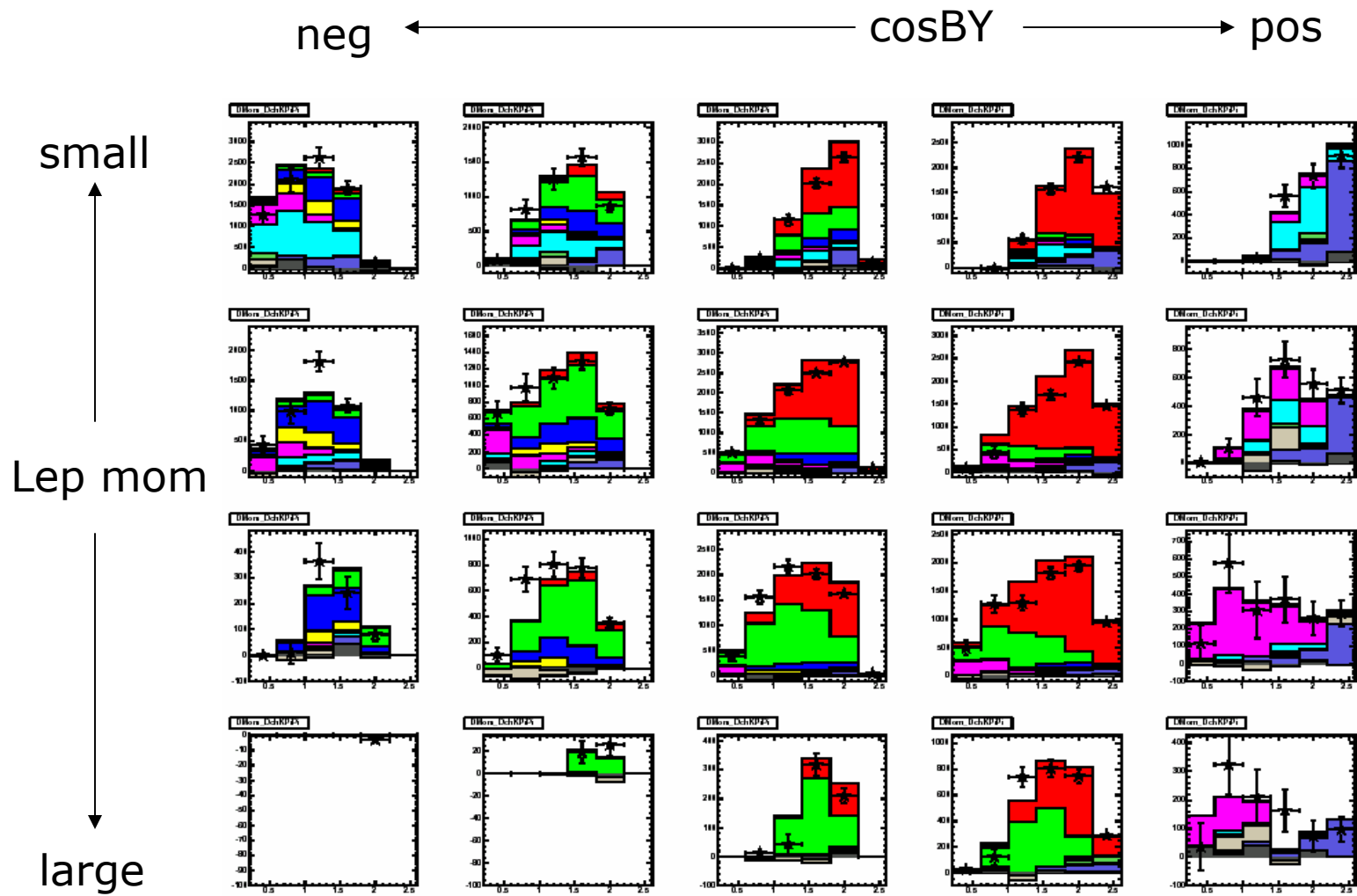
Fitted plots (1)



Fitted Plots (2) – D0 momentum



Fitted Plots (3) – D+ momentum



Next steps

- Vary $B \rightarrow D^* \ell \nu$ FF parameters.
- Re-weight $D^{**} \ell \nu$ MC and $D \text{Pil} \nu$ (non-resonant) MC.
- Apply constraints on $D^{**} \ell \nu$ and $D(*) \text{Pil} \nu$ BFs in the fit.
- Systematic uncertainty.